

Lab #11: Computational Review II

KEY

Part I: Download dataset Perfume from the website and run appropriate analyses to answer the following questions:

1. What's the average store-shopping hours (if appropriate)? $M = 2.21$
2. What's the average gender (if appropriate)? N/A
3. What's the standard deviation for internet shopping hours (if appropriate)? $\hat{s}_x = 1.541$
4. What's the median hours people shop online per week (if appropriate)? $Md = 3.00$

For the following, summarize the hypothesis testing statistic(s) and report the practical significance value(s) (if appropriate).

5. Test for a sig. difference between the average perfume rating and the typical value of 4.

$t(23) = 0.643, n.s.$ (d not app.)
 What's the difference expected in the formula?
 $\hat{s}_x = .324$

6. Test for a significant difference between hours spent shopping in the store vs. online.

$t(23) = 2.798, p \leq .05$ $d = .5716$
 What percent of the time would you see this size difference between the means just by chance?
 $p = .01$ or 1% of the time

7. Test for a significant effect of gender on store shopping hours.

$t(22) = 2.217, p \leq .05$ $d = .6402$
 What's the observed difference in the formula?
 $d = .958$

8. Test for a sig. effect of perfume strength and perfume type on rating.


P. STR $F(1, 18) = 13.70$ $\eta^2 = .2595$
 P. TYPE $F(2, 18) = 6.148$ n/a
 INTER $F(2, 18) = 8.926$ $\eta^2 = .3465$

What means would you use to report on the effect of perfume strength?
 3.42 & 5.00

9. Test whether store and/or internet shopping hours correlate with pref. for luxury labels.

store hrs: $r(22) = .489, p \leq .05$ $r^2 = .2391$
 net hrs: $r(22) = .754, p \leq .05$ $r^2 = .5683$
 10. Of these two, what's the best predictor of luxury labels preference? Write the regression equation for this one.
 net hrs $y' = 16.339x + 10.526$

Part II: 1. What percent of scores fall above a score of 22 on the ACT, assuming $\sigma = 5$ and $\mu = 20$?

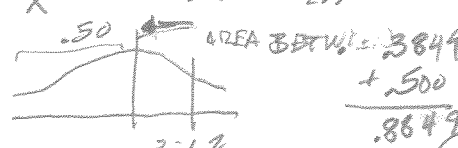
$x = 22$ $z = \frac{x - \mu}{\sigma} = \frac{22 - 20}{5} = \frac{2}{5} = 0.4$
 $\mu = 20$
 $\sigma = 5$

 34.46%

Age	Drug	
	A	B
Young	0	5
	2	6
	1	7
Old	4	10
	5	11
	4	12

4. Show below how you'd enter the data to the left into SPSS for a 2 way ANOVA. (DV = Performance)

DRUG	AGE	PERF
1	1	0
1	1	2
1	1	1
1	2	4
1	2	5
1	2	4
2	1	5
2	1	6
2	1	7
2	2	10
2	2	11
2	2	12

2. What percent of classes do worse than a class of 16 that averages 103 on a math proficiency exam ($\sigma = 10$ and $\mu = 100$)?

$\bar{x} = 103$
 $n = 16$
 $\sigma = 10$
 $\mu = 100$
 $\sigma_x = \frac{\sigma}{\sqrt{n}} = \frac{10}{\sqrt{16}} = \frac{10}{4} = 2.5$
 $z = \frac{\bar{x} - \mu}{\sigma_x} = \frac{103 - 100}{2.5} = \frac{3}{2.5} = 1.2$

 88.49%

5. Show below SPSS format for independent t-test data comparing the words recalled by boys (3,4,5,6) and girls (5,6,7,9).

SEX	WORDS
1	3
1	4
1	5
1	6
2	5
2	6
2	7
2	9

You may not use all available spaces

3. Test the hypothesis that frogs who've done weight lifting ($n=9$) jump significantly higher ($M=94$; $s=18$) than normal frogs ($\mu = 90$)? Simply summarize the statistic.

$n = 9$
 $M = 94$
 $s = 18$
 $\mu = 90$
 $t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} = \frac{94 - 90}{\frac{18}{3}} = \frac{4}{6} = .6666$
 $t(8) = .6666, n.s.$

$\sigma_x = \frac{s}{\sqrt{n}} = \frac{18}{3} = 6$ $t_{crit} = 2.3060$

Handwritten scribble on the left margin.

KEY

6. Test the hypothesis that men are less likely to ask for directions.

Asked?	Gender	
	Women	Men
Yes	20 15	10 15
No	10 15	10 15

30
30
60

$$df = (R-1) \times (C-1) = 1 \times 1 = 1$$

7. Calculate SS for the following: 2, 2, 3

$$\begin{matrix} x & x^2 \\ 2 & 4 \\ 2 & 4 \\ 3 & 9 \\ \hline \Sigma x = 7 & \Sigma x^2 = 17 \\ (\Sigma x)^2 = 49 & \end{matrix}$$

$$SS = \Sigma x^2 - \frac{(\Sigma x)^2}{n} = 17 - \frac{49}{3} = 0.6$$

8. Calculate \hat{s}_x if $SS = 90$ and $n = 11$

$$\hat{s}_x = \sqrt{\frac{SS}{n-1}} = \sqrt{\frac{90}{10}} = \sqrt{9} = 3$$

$$\chi^2 = \sum \frac{(O-E)^2}{E} = \frac{(20-15)^2}{15} + \frac{(10-15)^2}{15} + \frac{(10-15)^2}{15} + \frac{(10-15)^2}{15}$$

$$= 1.6667 + 1.6667 + 1.6667 + 1.6667 = 6.6667$$

$\chi^2_c = 3.841$ REJECT H_0

Part III: Research suggests that when made to focus on materialistic success people become less happy and less satisfied. The following study prompted people to list three good (or bad) things about **greed** and then exposed people to images prompting **comparison** with families living low, medium or high luxury lifestyles. They then asked people to rate their own **life satisfaction**.

1. Summarize the A, B, & A*B effects.

$F(1,24) = 55.19, p \leq .05$
 $F(2,24) = 1.104, n.s.$
 $F(2,24) = 12.56, p \leq .05$

2. What means would you use to test for a main effect for greed?

3.20 & 6.07

3. What means ... for a main effect for luxury?

$4.30, 4.60, 5.00$

Descriptive Statistics

Dependent Variable: life_satsif

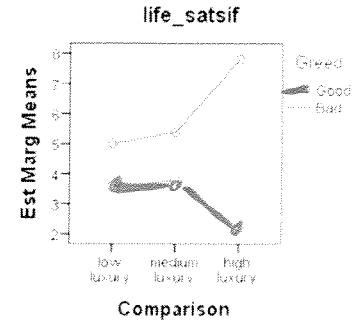
Greed	Comparison	Mean	Std. Dev.	N
Good	low luxury	3.60	1.673	5
	medium luxury	3.80	.837	5
	high luxury	2.20	.837	5
	Total	3.20	1.320	15
Bad	low luxury	5.00	.707	5
	medium luxury	5.40	1.140	5
	high luxury	7.80	.837	5
	Total	6.07	1.534	15
Total	low luxury	4.30	1.418	10
	medium luxury	4.60	1.265	10
	high luxury	5.00	3.055	10
	Total	4.63	2.025	30

Tests of Between-Subjects Effects

Dependent Variable: life_satsif

Source	Type III Sum of Squares	df	Mean Square	F	Sig.
Corrected Model	82.167 ^a	5	16.433	16.50	.000
Intercept	644.033	1	644.03	676.7	.000
Greed	61.633	1	61.633	55.19	.000
Comparison	2.467	2	1.233	1.104	.348
Greed * Comparison	28.067	2	14.033	12.56	.000
Error	26.800	24	1.117		
Total	763.000	30			
Corrected Total	118.967	29			

a. R Squared = .775 (Adjusted R Squared = .728)



State the correct symbol and value for the following (e.g., $F = 1.104$)

- What means would graph for the interaction? $M = 3.6, 3.8, 2.2, 5, 5.4, 7.8$
- What's the obs. variance in the F formula for Greed? $MS_{Greed} = 61.633$
- What's the expected variance in the F formula for Greed? $MS_{Error} = 1.117$
- What's the effect size for Comparison (if appropriate)? n/a
- What's the effect size for the interaction (if appropriate)? $\eta^2 = .2359$
- Complete the explanatory sentence for Greed (include a sentence on effect size if appropriate).

Participants primed to focus on greed as good scored lower in life satisfaction ($M = 3.20$) than those focused on greed as bad ($M = 6.07$), $F(1, 24) = 55.19, p \leq .05$. The effect of greed on satisf. was large, $\eta^2 = .5181$.

10. Explain the outcome for the interaction factor (include a sentence on effect size if appropriate).
 There was a sig interaction, $F(2, 24) = 12.56, p \leq .05$. Seeing greed as bad produces greater life satisfaction at both low + medium comparative luxury, but this diff is even greater at high comparative luxury.